

Background
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Connectionist Temporal Classification For Text Recognition

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Text Recognition is Not New

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文字识别_百度百科

Baidu 百科 反馈 搜索 :

中文名	文字识别
外文名	Text recognition
性质	识别
属性	文字
年代	60年代

简介

利用计算机自动识别字符的技术，是**识别**应用的一个重要领域。人们在生产和生活中，要处理大量的文字、报表和文本。为了减轻人们的劳动，提高处理效

Traditional Way

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- char segmentation
 - binarization
 - connected region analysis
- char recognition
 - feature extraction
 - classification
- post-processing
 - text correction using language model
 - ...

Traditional Way

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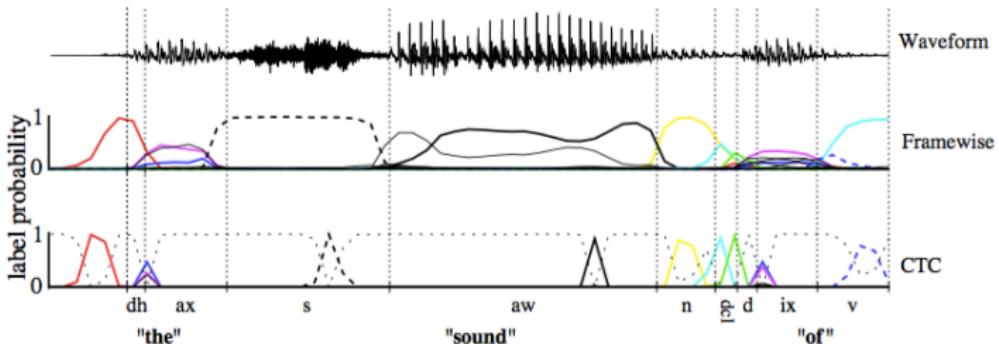
Application

- Parameters in char segmentation changes a lot for different scenarios
- Require basically clean image background
- Need a lot of rules

Connectionist Temporal Classification (CTC)

- Alex Graves, Supervised Sequence Labelling with Recurrent Neural Networks, 2012

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- Given a dict A and an input sequence x width length T , where x is consist by predictions y_k^t (k^{th} class at time t)
- Extend dict by $A' = A \cup \{blank\}$
- Conditional distribution over $\pi \in A'^T$

$$p(\pi|x) = \prod_{t=1}^T y_{\pi_t}^t$$

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- Define a many-to-one function $\mathcal{F} : A'^T \mapsto A^{\leq T}$
- Eg: $\mathcal{F}(a - ab-) = \mathcal{F}(aaa - aabb-) = aab$
-

$$p(l|x) = \sum_{\pi \in \mathcal{F}^{-1}(l)} p(\pi|x)$$

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- Now we have

$$p(\pi|x) = \prod_{t=1}^T y_{\pi_t}^t \quad (1)$$

$$p(l|x) = \sum_{\pi \in \mathcal{F}^{-1}(l)} p(\pi|x) \quad (2)$$

- Loss function (on training set S width label)

$$\mathcal{L}(S) = -\ln \prod p(l|x) = -\sum \ln p(l|x) \quad (3)$$

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- DP. forward variable α :

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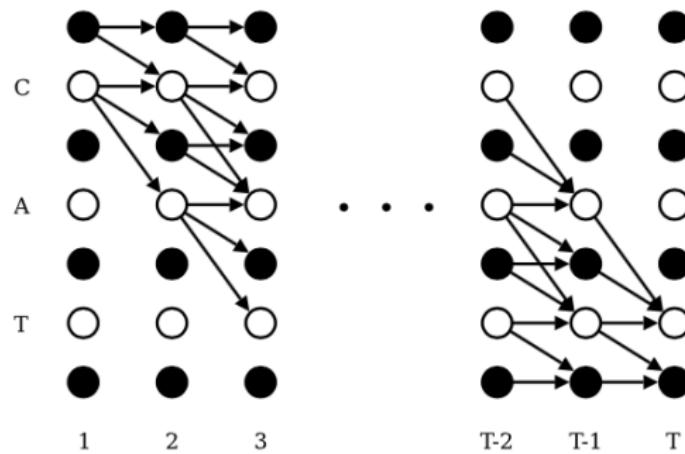
$$\alpha(t, u) = \sum_{\pi \in V(t, u)} \prod_{i=1}^t y_{\pi_i}^i \quad (4)$$

$$p(l|x) = \alpha(T, U') + \alpha(T, U' - 1) \quad (5)$$

$$\alpha(t, u) = y_{l'_u}^t \sum_{i=f(u)}^u \alpha(t-1, i) \quad (6)$$

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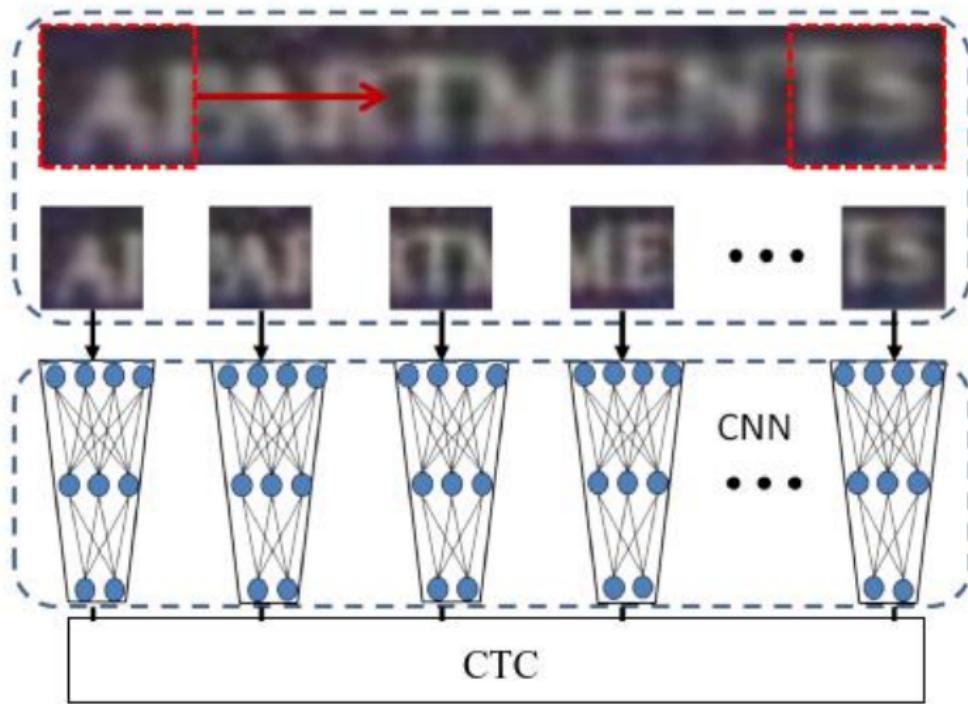
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- The backward variable β is similar as α , and $\beta(t, u)$ defines the probability of all paths starting at $t + 1$ that complete l when appended to $\alpha(t, u)$
- Finally, we have

$$p(l|x) = \sum_{u=1}^{|l'|} \alpha(t, u)\beta(t, u) \quad (7)$$

Text Recognition

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GENERAL INFO:

INFO 0

流水号: 338 (number)

INFO 1

上次累计积分: 466.10, (point)

INFO 2

本次积分: 1 (point)

INFO 3

time: 20h54m47s

INFO 4

date: 2015y07m23d

INFO 5

sum: 1.90

INFO 6

shop: 华润万家(crv

total info count:7

GOODS INFO :

GOODS 0

name: 康师傅矿物质水1500ml

money: 1.90

count: 1

total goods count:1

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Thanks!